

Dialectical view on the particle structure

Part 1

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Dialectical philosophy and its logic (dialectics) [1], which we adhere to [2], is an integral part of the foundation of world philosophy. It is regarded as the logic of philosophy and all sciences, that is, recognized as the *logic of cognition* on the *whole*. Dialectics represents a synthesis of the best *achievements* of both *materialism* and *idealism* and is the ground for understanding of the *material-ideal essence* of the world.

In accordance with the *axiom* of dialectics, all *objects* and *phenomena* in the Universe have a *wave nature*, and the Universe is a *material-ideal* system. Wave processes have a *binary oscillatory-wave* character, they occur on two levels - *oscillatory* and *wave*. The above feature is *manifested*, in particular in the *binary structure* of *elementary particles* (described in the Dynamic Model [3]), in the existence in them of an inextricably bound *basis* and *superstructure*,

Dynamic Model (DM) of elementary particles (first put forward by the authors in 1996 [2]) is a *vivid example* of where the *axiom* of *dialectics* was taken into account when describing the structure of the particles. Various aspects of the DM are considered in a number of works of the authors and discussed at international conferences, such as in 2017 [4]. The DM was *designed* to *replace* the Standard Model (SM) (dominating in physics), which is *inadequate* to reality, since *based* on *subjective abstract-mathematical* postulates and *incompatible* with the *basic axioms* of dialectics.

Here we consider the *principal concepts* of *dialectical physics* [2] relating to the *individual peculiarities* of particles, as well as their *general classification*. The material in this article is an *updated version* of a part of the article *published* a quite long ago in 1998 by the authors in the book of collected papers [5]. For the reason of a small print run, this book is almost unknown for scientific community. Therefore, believing that the problem under consideration is now even more relevant for physics than before, the author (underlined above) decided to return to the issue raised in the article and publish its updated version.

1. Particle difference and general classification

Dialectics of recurrence-nonrecurrence, uniformity and difference, requires the *qualitative distinction* of *particles* of any level. In other words, *dialectics* of *quantity-quality* pierces both mega- and micro worlds of the Universe. It means that the *contradictory symmetry* of quantity-quality, material-ideal of the dialectical *material-ideal* Universe *excludes mechanical* principles of *identity* of any *particles* and indicates that they are *material-ideal* formations. We denote this feature (“*material-ideal*”) by the symbol “ \wedge ”.

We call microparticles by the *general* name “ \hat{k} -particles”. Any particular \hat{k} -particle is a *definite* representative of \hat{K} -class particles that is symbolically indicated as $\hat{k} \in \hat{K}$.

The \hat{e} , \hat{g} , $\hat{\gamma}$, $\hat{\mu}$, $\hat{\pi}$,... -particles belong, correspondingly, to \hat{E} , \hat{G} , $\hat{\Gamma}$, \hat{M} , $\hat{\Pi}$,... -classes. Within each class, particle *masses differ*. Published particle mass tables show their *average* values.

The \hat{k} -particles, belonging to any \hat{K} -class, have a more or less *similar structure* at the level of *material basis*. This structure determines their approximate *quantitative equality*. But they have *distinct superstructures* reflecting their *qualitative difference*. Therefore, the symbol of any particle, strictly speaking, should be represented in the form of a *general symbol* of the *material-ideal field of measures*:

$$\hat{k} = k + ik, \quad \hat{K} = K_\alpha + iK_\beta, \quad (1.1)$$

where K_α is the *basis* and iK_β is the *superstructure* of the \hat{K} -class; α -symbol expresses an *insignificant* and unessential *distinction* at the *basis* level; β -symbol reflects, in a general case, an *essential qualitative distinction*, pointing to an existence of *qualitative subclasses* of iK_β -substructure; i is the *ideal unit* (the *unit of polar negation*) [5].

The *material k-basis* of \hat{k} -particle forms the *quantitative (quantum) k-structure*, and the *ideal ik-superstructure* forms the *qualitative (qual) ik-structure*. The latter has its *fine superstructural field basis* consisting of objects by *some orders smaller* than particles of this class. Specifically these objects are *perceived* as the “*field level of matter*”. For simplicity, we will (not infrequently) omit the symbol “ $\hat{\ }$ ”, expressing the material-ideal structure of objects.

According to the *wave equation* solutions, *atoms* are *neutron molecules* of a spherical form. The *nodal structure* of their *outer wave shells* determines the *physicochemical properties* (*quantitative-qualitative features*) of the atoms.

In the language of dialectics, *material-ideal neutrons* are the *material basis* of an atom, while a *certain mutual arrangement* of neutrons (*structural geometry* of the *superstructure*) is *properly* the *atom*. This means that an *atom* is an *ideal formation* from *neutrons* of the strictly *definite superstructure*. In addition, the *number of types* of *ideal subclasses* of *neutrons* iN_β determines the *number of neutron arrangement* forms, which is resulted in the definite atomic structures (atoms).

Thus, *atoms* are *ideal formations* of the material level of *neutrons*, where *proper neutrons*, e.g., carbon, aluminum, titanium, etc., *correspond* to *each* atomic formation; that is, *neutrons contain* the “*genetic code*” (at the level of *proper superstructure*) of those or other ideal atomic formations.

Masses of elementary particles M_n , whose classes are *above* \hat{G} -class, but *below* classes of *isotopes* of the first elements of periodic table, are *approximately multiple* to an *average mass* of \hat{g} -particle,

$$M_n = nm_g. \quad (1.2)$$

Therefore, we assume that the *main structural units* of such particles are *g-particles*, which *contain information* about *possible configurations* of “*elementary*” particles.

In view of the *fact* that *all formations* of “*elementary*” particles *above* \hat{G} -class, up to the first elements of periodic table, are *unstable*, it should be recognized that at *present* in the Universe \hat{g} -particles dominate with the *ideal code-information* capable of forming the *ideal superstructure* only of the *neutron level*. It means that these are mainly *neutron* \hat{g} -particles.

The *g-nucleon* in a spectrum of elementary particles is called the *muon neutrino* ν_μ . As physicists *previously assumed*, its mass is equal to $68.5m_e$.

In the last few decades, the mass of *g-particle* has been accepted as *equal to zero*, which from viewpoint of *dialectical physics* (DM [2, 3, 5]) is *incorrect*. As follows from the latter, the *mean value* of mass m_g is approximately equal, *within the decimal scale*, to the *fundamental measure* in a *quarter of the fundamental period-quantum*, $\frac{1}{4}(2\pi \lg e) = 0.682188\dots$ [6], where e is the base of natural logarithms:

$$m_g = 68.22 m_e \quad (1.3)$$

Actually, particles with mass (1.3) occupy a *specific place* in the *mass spectrum* of particles.

First, in 1931, Dirac *showed* [7, 8] that *field theory* can be built on the basis of *magnetic monopoles*, an *elementary charge* of which is

$$\mu_0 = \frac{hc}{2e} = 68.5e \quad (1.4)$$

In the *Wave Model* (WM), consisting of *two theories*: *Dynamic Model* of elementary particles [3, 4] and *Shell-Nodal model* of atoms [9], $e = m_e \omega_e$; therefore, *dividing* the charge of the Dirac monopole μ_0 by the *fundamental frequency* ω_e (a *discovery* of the DM) leads to the following *mass* of μ_0 ,

$$m_{\mu_0} = 68.5 m_e \quad (1.5)$$

It is *evident* that the Dirac monopole μ_0 and the *g-lepton*, whose masses, (1.5) and (1.3), are approximately equal, are the *same particles*, that is, $\mu_0 \equiv g$.

However, because the mass of the monopole was determined incorrectly, the *g-lepton* was not rendered its due attention in physics.

Secondly, according to the DM, the radius of the wave sphere of the *g-lepton*, or Dirac monopole, is

$$r_g = \left(\frac{m_g}{4\pi\epsilon_0} \right)^{1/3} = 1.706 \cdot 10^{-9} \text{ cm}, \quad (1.6)$$

The *cardinal number* of the radius is very *close* to the rational *golden section* of the fundamental metrological *period-quantum* $\Delta = 2\pi \lg e$ of the Decimal Code of the Universe [6, 10],

$$r_g \approx \left(\frac{5}{8} 2\pi \lg e \right) \cdot 10^{-9} \text{ cm}. \quad (1.7)$$

For this reason, it can be assumed that *g-lepton* is a fairly *stable* particle, which, perhaps, *represents* at the level of *elementary particles* the *same* as the neutron represents for *atoms*.

If so, then based on *g-lepton* and the periodic law of space, it is possible to *compose* the *spectrum* of “elementary” particles, where the *g-lepton* is a *hydrogen analog*, γ -quantum is a deuterium analog, μ -meson is a tritium analog, π -meson is a helium analog, etc.

If a *quarter mass* of the π^+ -meson is used as a *measure* of m_g , then we get

$$m_g = \frac{1}{4} m_{\pi^+} = 68.28158353 m_e, \quad \text{where} \quad m_{\pi^+} = 273.1263341 m_e \quad (1.8)$$

Introducing a *unit of mass* into one *hectoelectron* of mass, $1 \text{ hem} = 100 m_e$, we can write that

$$m_g = \frac{1}{4} m_{\pi^+} = 0.6828158353 \text{ hem}. \quad (1.9)$$

The *mass* of π^+ -meson in *hem* is on the level of the *fundamental quantum* $2\pi \lg e = 2.728752708$.

We will term the latter as the *reference measure* of mass of Π -class particles (π -meson class)

$$m_{\pi} = (2\pi \lg e) \text{ hem} = 2.728752708 \text{ hem} \approx 2.7288 \text{ hem}. \quad (1.10)$$

This mass *determines* the reference mass of G -class particles

$$m_g = \frac{1}{4} (2\pi \lg e) \text{ hem} = \frac{\pi}{2} \lg e \text{ hem} = \frac{\lg i}{i} \text{ hem} = 0.6821881770 \text{ hem} \quad (1.11)$$

where i is the *ideal unit*. The G -class is represented by g -particles with some difference in masses. In any experiment, we are dealing with *various representatives* of particles of this class.

A system of *two* g -particles forms a γ -particle (γ -quantum) with a *reference mass* of Γ -class equal to the *fundamental half-period* (half-quantum),

$$m_{\gamma} = \frac{1}{2} (2\pi \lg e) \text{ hem} = 2 \frac{\lg i}{i} \text{ hem} = 1.364376354 \text{ hem}. \quad (1.12)$$

A system of *three* g -particles represents a μ -particle (μ -meson) with a *reference mass* of M -class equal to *three quarters* of the fundamental quantum:

$$m_{\mu} = 3 \left(\frac{\pi}{2} \lg e \right) \text{ hem} = 3 \frac{\lg i}{i} \text{ hem} = 2.046564531 \text{ hem} \quad (1.13)$$

A system of *four* g -particles forms a π -meson, which belongs to Π -class particles with the *reference mass* equal to one *fundamental quantum* (1.10), etc.

Thus, the *simplest decay reactions*, within specific qualities of elementary particles, take the following form (by the language of mass):

$$\begin{aligned} \pi &\rightarrow \mu + g, & (2\pi \lg e) \text{ hem} &= \frac{3}{4} (2\pi \lg e) \text{ hem} + \frac{1}{4} (2\pi \lg e) \text{ hem}, \\ \pi &\rightarrow \gamma + \gamma, & (2\pi \lg e) \text{ hem} &= \frac{1}{2} (2\pi \lg e) \text{ hem} + \frac{1}{2} (2\pi \lg e) \text{ hem}, \\ \mu &\rightarrow \gamma + g, & \frac{3}{4} (2\pi \lg e) \text{ hem} &= \frac{1}{2} (2\pi \lg e) \text{ hem} + \frac{1}{4} (2\pi \lg e) \text{ hem}, \\ \gamma &\rightarrow g + g, & \frac{1}{2} (2\pi \lg e) \text{ hem} &= \frac{1}{4} (2\pi \lg e) \text{ hem} + \frac{1}{4} (2\pi \lg e) \text{ hem}. \end{aligned} \quad (A)$$

The *mass spectra* of the particles within the definite class will be considered in the second part of the paper. Let us agree to term the *quantitative* (i.e. *relative*) component A_r of an *arbitrary measure* A by the symbol $qnt(A)$, then

$$qnt(A) = \frac{A}{dim(A)} = A_r, \quad (1.14)$$

where $dim(A)$ is the dimensionality of A .

To demonstrate the *universality* of the *fundamental measure-quantum*, we supplement the above reactions (A) with the *metrological series* of *ancient measures* of mass.

For *example*, relying on the ancient *Rome ounce* of mass 2.7288 dg , which is equal to the *fundamental quantum* $m_o = (2\pi \lg e) \text{ dg}$ (to within the fourth sign after comma), we get the following *series* for *comparison*:

- | | | | | |
|----------------------|---------------|-----------------------------|------------------------------------------|-----|
| 1) π -meson | \Rightarrow | an ounce, | $qnt(m_\pi) = qnt(m_o)$; | |
| 2) μ -meson | \Rightarrow | three quarters of an ounce: | $qnt(m_\mu) = qnt(\frac{3}{4} m_o)$; | (B) |
| 3) γ -quantum | \Rightarrow | two quarters of an ounce: | $qnt(m_\gamma) = qnt(\frac{2}{4} m_o)$; | |
| 4) g -particle | \Rightarrow | a quarter of an ounce | $qnt(m_g) = qnt(\frac{1}{4} m_o)$. | |

The *second example* of the same series, but with the *Old Russian* measures, expressed in grams:

- | | | | | |
|----------------------|---------------|-------------------------|------------------------------------------------------------------------------------|-----|
| 1) π -meson | \Rightarrow | 16 pochkas = 64 pirogs, | $qnt(m_\pi) = qnt(m_{16 \text{ pochkas}}) = qnt(m_{64 \text{ pirogs}}) = 2.7288$; | |
| 2) μ -meson | \Rightarrow | 12 pochkas = 48 pirogs, | $qnt(m_\mu) = qnt(m_{12 \text{ pochkas}}) = qnt(m_{48 \text{ pirogs}}) = 2.0466$; | (C) |
| 3) γ -quantum | \Rightarrow | 8 pochkas = 32 pirogs, | $qnt(m_\gamma) = qnt(m_8 \text{ pochkas}) = qnt(m_{32 \text{ pirogs}}) = 1.3644$; | |
| 4) g -particle | \Rightarrow | 4 pochkas = 16 pirogs, | $qnt(m_g) = qnt(m_4 \text{ pochkas}) = qnt(m_{16 \text{ pirogs}}) = 0.6822$. | |

One *pochka* was a small measure of weight of about 0.17 g. It was used when weighing precious stones, as well as when minting coins. The *pirog* is equal to a quarter of the *pochka* or about 43 mg.

The (A), (B), and (C) *spectra of measures* represent the *manifestation* of the *second kind law* – a non-physical (*non-material*) law – an *ideal law*, reflecting an *Ideal Beginning* of the *Universe* [6, 10], which we called the *law of the Decimal Code* of the *Universe*.

Physical laws are the *first kind laws* – the laws of *absolute necessity*, whereas the *second kind laws* are the laws of a *reasonable choice*; figuratively speaking, the latter are the *laws* of “*Cosmic Will*” (*Cosmic Reason*) caused by the *Ideal Beginning* of the *Universe*.

2. Fundamental quanta of exchange

2.1. Speed of exchange

The *absolute speed* of each object in the *Universe* at all its levels is a multidimensional (multilevel) speed, which *does not depend* on *any reference frame*. Taking into account that the *speed of light is the beam speed of the wave process*, we will consider the dialectics of mutual transformations of the levels of the galactic field.

Let the *beam speed* of some *wave-basis* increases over a certain period of time. At that, the *total energy* of the wave system will *remain* equal to *zero* because the *field of rest* also *rises* by the *same value*, in the course of *rising* of the field of *motion*. Thus, an additional *increase* in *kinetic energy* is *compensated* by the *increase* in *potential energy*, equal in magnitude, but opposite in sign.

When the *beam speed*, having reached the speed of light, *exceeds* it, the *formation* of the *superstructure* begins. The latter is expressed in the *appearance* of *two* mutually perpendicular *longitudinal-transverse waves* of the *oscillatory type*. The speed of such a system consists of the

initial beam speed of light and the additional speed of the superstructure, forming a spiral cylindrical wave of the right or left torsion (Fig. 1).

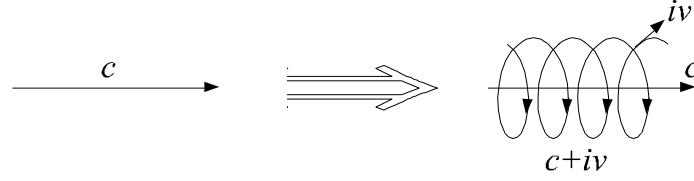


Fig. 1. Transformation of the beam speed c ; iv is the circular frontal speed.

Thus, during the *superstructure's birth*, the *beam speed* of the wave is *transformed* into the *screw speed*.

Hence, the *absolute speed* of an *object-satellite* will be equal to

$$\hat{C} = c + iv, \quad (2.1)$$

and the *modulus* of speed is

$$|\hat{C}| = \sqrt{c^2 + v^2}, \quad (2.2)$$

where iv is the *frontal kinetic speed* of the *superstructure*, negating the speed of the basis.

In turn, when the *frontal speed* iv , as the *beam speed* v , exceeds the light speed c , the *wave* of *superstructure* becomes the *base wave*; thus, one more *superstructure* rises, etc.

As a result, the *absolute speed* of the n -*wave level* takes the following form

$$\hat{C} = nc + iv \quad (2.3)$$

All this allows us to state that the *speed of light* is the *fundamental period-quantum* of the *field of speed* of the *material-ideal exchange* of matter-space-time, and the *modulus* of speed of an *arbitrary level* of *basis-superstructure* is determined with *accuracy* up to *period* c , by the formula (2.2).

At considerable absolute speeds, the mutual speed of neighboring galaxies can reach speeds comparable to the period-quantum of the speed c . Astronomical observations confirm this. Apparently, the movement of galaxies with speeds, approaching the speed of light, partially closes to the wave motion of the basis of the microworld.

2.2. Frequency of exchange

The *fundamental frequency* of the atomic and subatomic levels (discovered thanks to the DM [4]) is equal to

$$\omega_e = \frac{e}{m_e} = 1.86916197 \cdot 10^{18} \text{ s}^{-1} \quad (2.4)$$

where $e = m_e \omega_e = 1.702691627 \times 10^{-9} \text{ g} \cdot \text{s}^{-1}$ is an elementary exchange charge or *elementary quantum* of the power (*rate*) of *mass exchange* (it is the *true physical meaning, magnitude* and *dimensionality* of the *electron charge*, which were also discovered thanks to the DM).

To explain the *quantitative meaning* of the *frequency*, we consider the wave motion of an electron in a uniform kinetic (magnetic) field of the subatomic level of matter (Fig. 2).

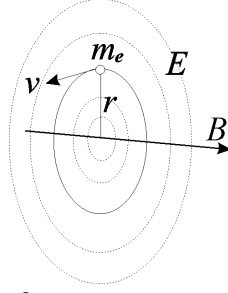


Fig. 2. A fragment of an electron wave of superstructure.

A *cylindrical kinetic field* is defined by the *kinetic B-vector*, a transverse *potential field* – by the *potential E-vector*; both fields represent the *longitudinal-transverse field* of matter-space-time of the *subatomic level*.

If the *longitudinal wave* of the *superstructure* is equal to *zero*, we have only the *transverse wave* of superstructure, which is represented by *circular motion* and described by the following tautological equation

$$\frac{m_e v^2}{r} = \frac{e}{\omega_e} v \omega = e \left(v \frac{\omega}{\omega_e} \right) = eE = \frac{v}{c} e \left(c \frac{\omega}{\omega_e} \right) = \frac{v}{c} eB, \quad (2.5)$$

where $E = v \frac{\omega}{\omega_e}$ is the *potential strength vector*, the vector of *superstructure*; $B = c \frac{\omega}{\omega_e}$ is the *kinetic strength vector* of *basis*; at that $E = \frac{v}{c} B$; $e = m_e \omega_e$ (according to DM [3, 4]).

The *complex vector* of the field can be represented in two ways: $\hat{B} = E + iB$ or $\hat{B} = B + iE$. The second measure of the vector \hat{B} is preferred because the *kinetic field B generates* its own negation – the *transverse potential field E*. More exactly, both fields always exist together.

With *increasing field strength B*, the electron *oscillation frequency* ω also increases *proportionally*, as follows from the equations (2.5):

$$m_e \omega = e \frac{B}{c} \quad \text{or} \quad \omega = \omega_e \frac{B}{c}. \quad (2.6)$$

Hence, when $B \rightarrow c$, the electron oscillation *frequency* ω approaches the *limiting value* ω_e , $\omega \rightarrow \omega_e$, which is the *fundamental frequency* of the “*electrostatic*” field (and *electromagnetic field*), that is, of the *kinetic-potential field* of the *subatomic level* of matter-space-time.

Thus, the *fundamental frequency* ω_e is the *limiting frequency* of the *subatomic potential-kinetic (electromagnetic) field-space* of *basis*, which determines the corresponding *fundamental wave radius* of length $\tilde{\lambda}_e$ and the *quantum-period* of time T_e with the *time wave radius* T_{re} :

$$\tilde{\lambda}_e = \frac{c}{\omega_e}, \quad T_e = \frac{2\pi}{\omega_e}, \quad T_{re} = \frac{1}{\omega_e} = \frac{T_e}{2\pi}. \quad (2.7)$$

The *fundamental wave radius* $\tilde{\lambda}_e$ of the field-space is *simultaneously* the *radius* of the *fundamental wave* of *atomic spaces*, which determines *half* the *average value* of the *interatomic distances* in crystals.

2.3. Power of exchange

The first equation in (2.6) can be rewritten as follows

$$m_e \omega = e \frac{B}{c} \quad \Rightarrow \quad q_e = e \frac{B}{c}. \quad (2.8)$$

The product of the *electron mass* and the *oscillation frequency*,

$$q_e = m_e \omega, \quad (2.9)$$

is the *kinetic charge* of the *electron* in the wave of *superstructure* or, in other words, the *kinetic charge of wave motion*.

If $B \rightarrow c$, then as follows from (2.8), the *kinetic charge* of the electron q_e , increasing, *arrives* at the limiting *maximal value* equal to the *exchange electron charge* e :

$$q_e \rightarrow e = m_e \omega_e. \quad (2.10)$$

Consequently, the *electron charge* e should be considered as *one of the limiting quanta* by which microparticles can exchange.

Thus, the nature of the “*electron charge*” has now become understood. It is the “*elementary quantum of power (rate) of exchange*” or simply “*elementary quantum of exchange*”.

Let us imagine, if possible, that the exchange does not occur; then the associated mass and the associated charge of the particles disappear, and they will not be physically detected.

Conclusion

Following *dialectics*, it is natural (and in principle very significant) to *abandon* the *mechanical principle of identity* of all *particles* of the same type, adopted in modern physics, and to *recognize* that all particles, having a *quantitatively*, approximately, *equal basis*, are *qualitatively different*, distinguishing by their *superstructures*.

G-particles with a mass of $68.28 m_e$, which is multiple to a quarter of the *fundamental period-quantum* $(\frac{1}{4})2\pi l g e$, *very likely* are one of the *main structural units* of “*elementary*” particles. This has been *quite convincingly* demonstrated here.

The universality of the *fundamental period-quantum* of the *decimal base* $\Delta = 2\pi l g e$, determining the *fundamental measures-quanta*, including the *measures of elementary particles* discussed here, was confirmed by comparing the latter with some *ancient measures*.

The *period-quantum* Δ is the authors' *discovery*; it determines *harmony* in the Universe, *sets a strictly certain rhythm* for all processes in it [6, 10]. We called this discovery the *Law of the Decimal Base* (or *Decimal Code*) of the Universe, and referred it to the *second kind laws* (the laws of the *ideal component* of the *material-ideal Universe*). This is the concept of *dialectical physics*, which was first put forward by us in 1996 [2].

According to the Wave Model [3, 4, 9], the *speed of light* c is the *fundamental period-quantum* of the field of *speed* of the *material-ideal exchange* of matter-space-time.

The *fundamental frequency* ω_e (2.4) is the *limiting frequency* of the *subatomic* potential-kinetic (“electromagnetic”) field-space of *basis*, and is the frequency of the so called “*electrostatic field*”.

The *fundamental frequency* ω_e determines the *fundamental wave radius* λ_e and the *quantum-period* of time T_e with the *time wave radius* T_{re} (2.7).

The wave radius $\lambda_e = \frac{\lambda_e}{2\pi} = \frac{c}{\omega_e} = 1.603886998 \times 10^{-8} \text{ cm}$ is the characteristic parameter of atomic spaces; it determines the average *interatomic distance* in molecules and crystals, $2\lambda_e \approx 3.2 \text{ \AA}$.

A particle of mass m_e , having an *exchange charge* $e = m_e \omega_e = 1.702691627 \times 10^{-9} \text{ g} \cdot \text{s}^{-1}$, according to WM, is an *elementary quantum* of the *rate of mass exchange*. This is the *true meaning, magnitude and dimensionality* of a particle called an *electron*.

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<https://shpenkov.com/pdf/particles1.pdf>